

# Data-driven methods: Video

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15-463: Computational Photography  
Alexei Efros, CMU, Fall 2007

# Weather Forecasting for Dummies™

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Let's predict weather:

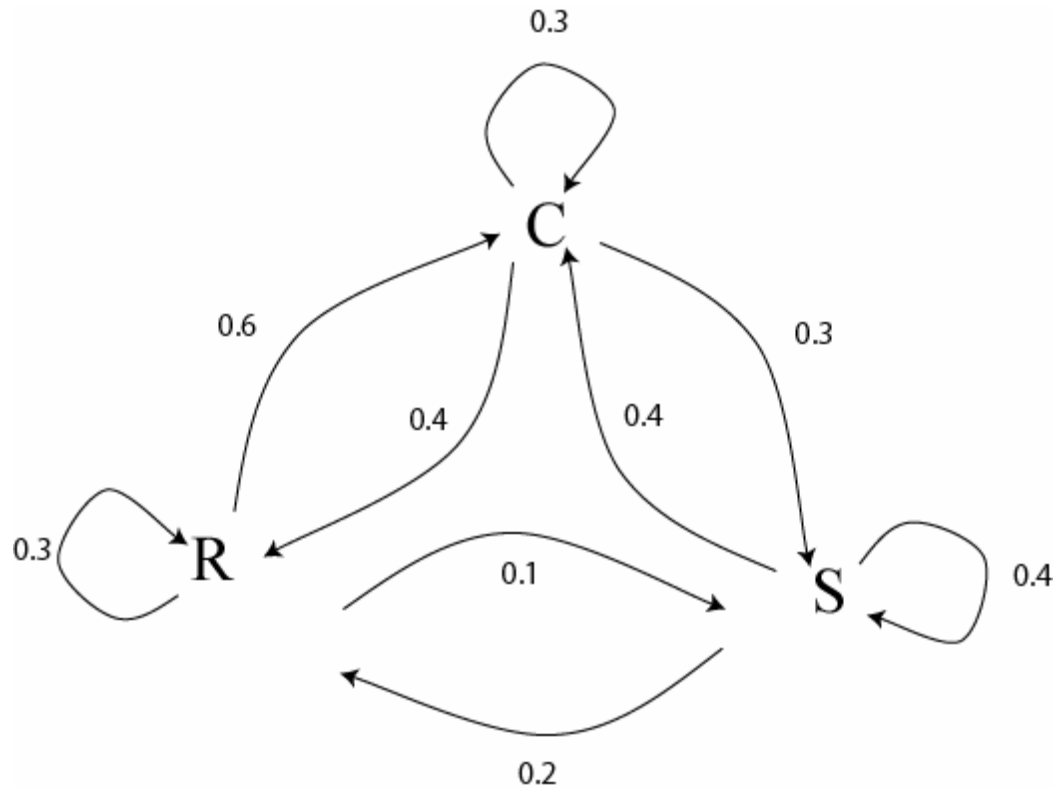
- Given today's weather only, we want to know tomorrow's
- Suppose weather can only be {Sunny, Cloudy, Raining}

The “Weather Channel” algorithm:

- Over a long period of time, record:
  - How often S followed by R
  - How often S followed by S
  - Etc.
- Compute percentages for each state:
  - $P(R|S)$ ,  $P(S|S)$ , etc.
- Predict the state with highest probability!
- It's a Markov Chain

# Markov Chain

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$$\begin{pmatrix} 0.3 & 0.6 & 0.1 \\ 0.4 & 0.3 & 0.3 \\ 0.2 & 0.4 & 0.4 \end{pmatrix}$$

What if we know today and yestarday's weather?

# Text Synthesis

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[Shannon,'48] proposed a way to generate English-looking text using N-grams:

- Assume a generalized Markov model
- Use a large text to compute prob. distributions of each letter given N-1 previous letters
- Starting from a seed repeatedly sample this Markov chain to generate new letters
- Also works for whole words

**WE NEED TO EAT CAKE**

# Mark V. Shaney (Bell Labs)

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## Results (using alt.singles corpus):

- *“As I've commented before, really relating to someone involves standing next to impossible.”*
- *“One morning I shot <sup>No</sup> an elephant in my arms and kissed him.”*
- *“I spent an interesting evening recently with a grain of salt”*

# Video Textures

Arno Schödl

Richard Szeliski

David Salesin

Irfan Essa

Microsoft Research Georgia Tech

# Still photos



# Video clips





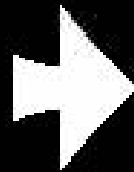
# Video textures



# Problem statement



video clip



video texture

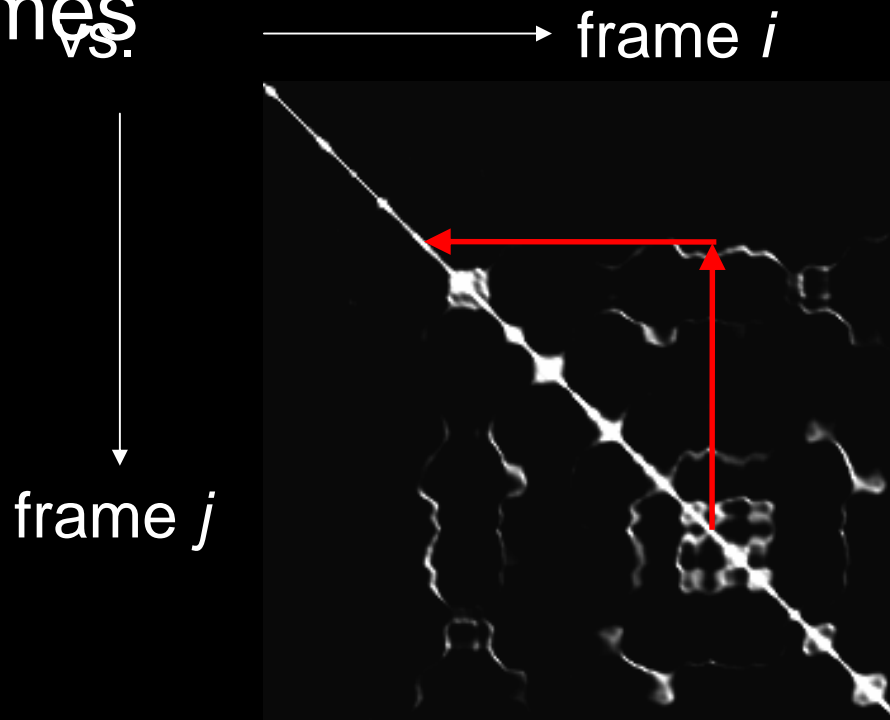
# Our approach



- How do we find good transitions?

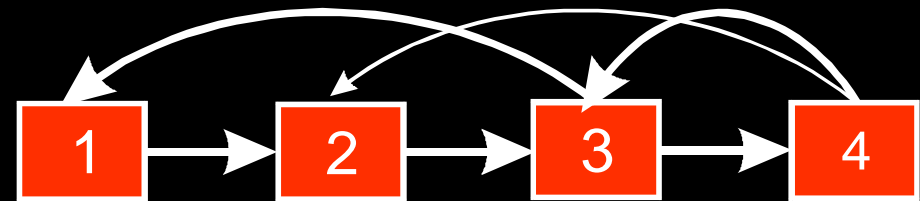
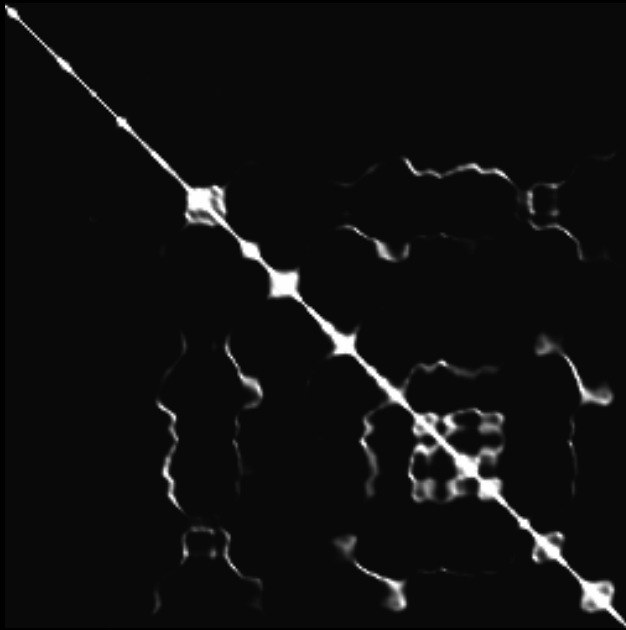
# Finding good transitions

- Compute  $L_2$  distance  $D_{i,j}$  between all frames



Similar frames make good transitions

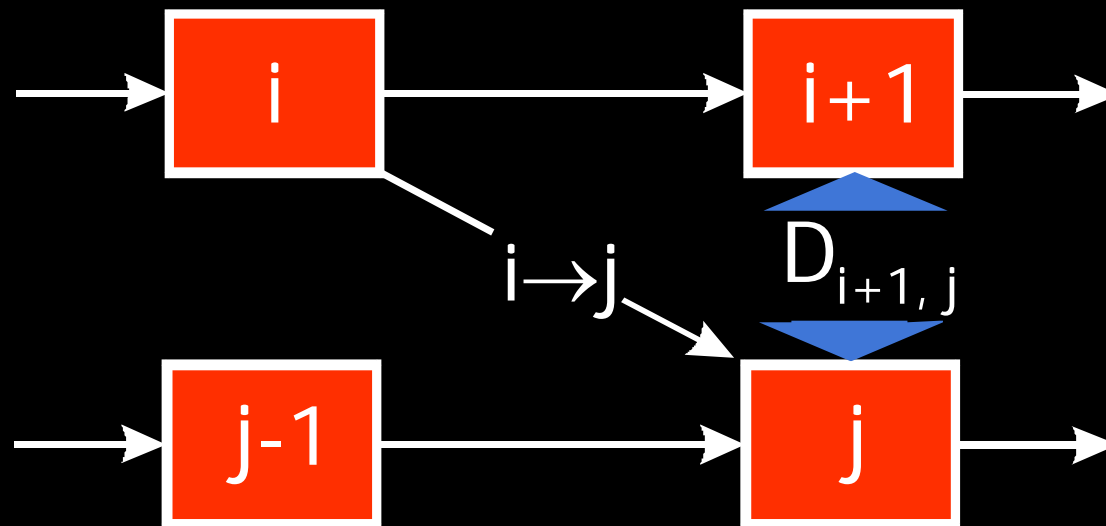
# Markov chain representation



Similar frames make good transitions

# Transition costs

- Transition from  $i$  to  $j$  if successor of  $i$  is similar to  $j$ 
  - Cost function:  $C_{i \rightarrow j} = D_{i+1, j}$



# Transition probabilities

- Probability for transition  $P_{i \rightarrow j}$  inversely related to cost:

- $P_{i \rightarrow j} \sim \exp ( - C_{i \rightarrow j} / \sigma^2 )$



high  $\sigma$

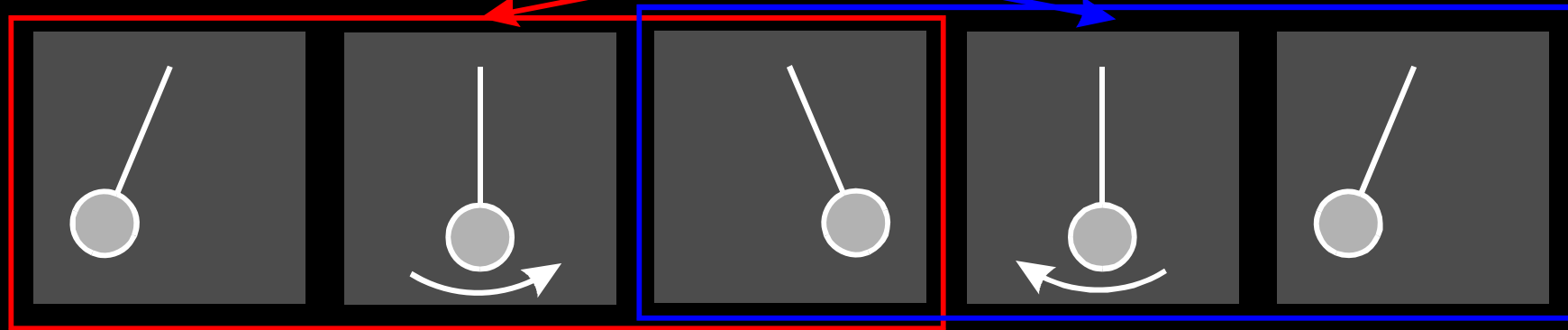
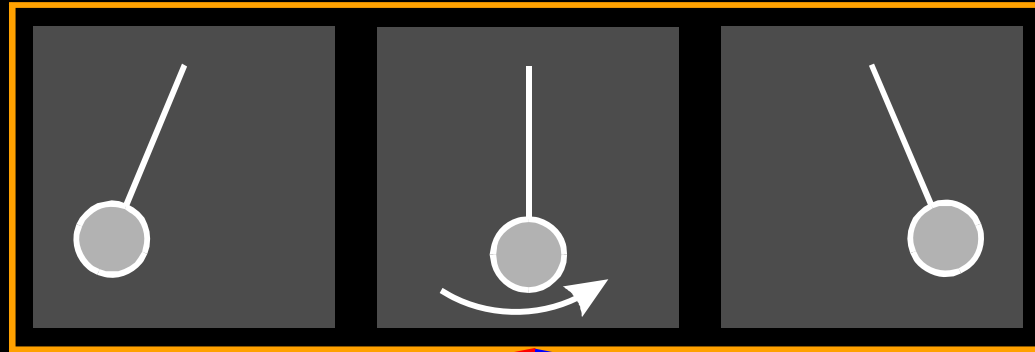
low  $\sigma$

# Preserving dynamics





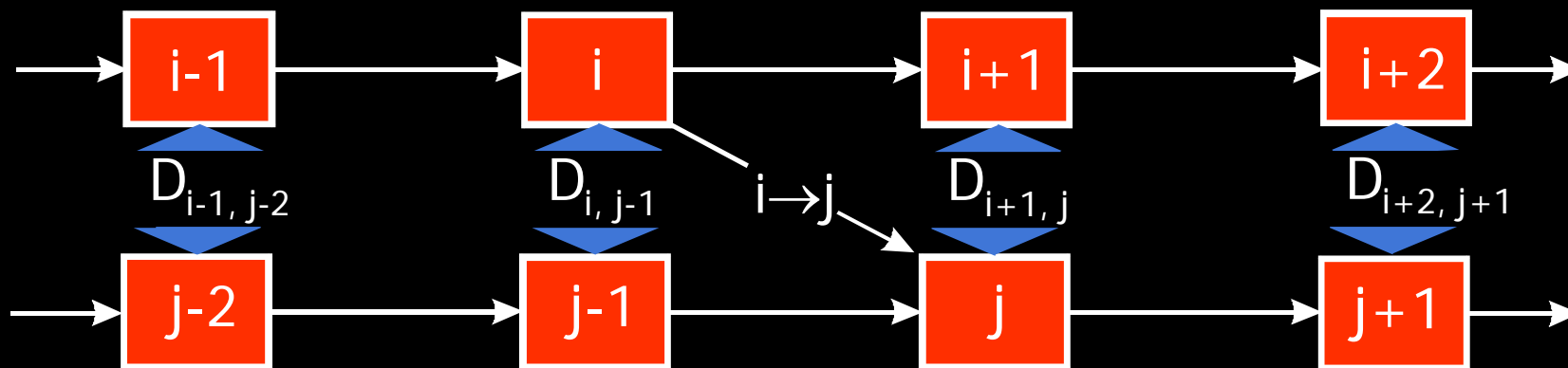
# Preserving dynamics



# Preserving dynamics

- Cost for transition  $i \rightarrow j$

- $$C_{i \rightarrow j} = \sum_{k=-N}^{N-1} w_k D_{i+k+1, j+k}$$



# Preserving dynamics – effect

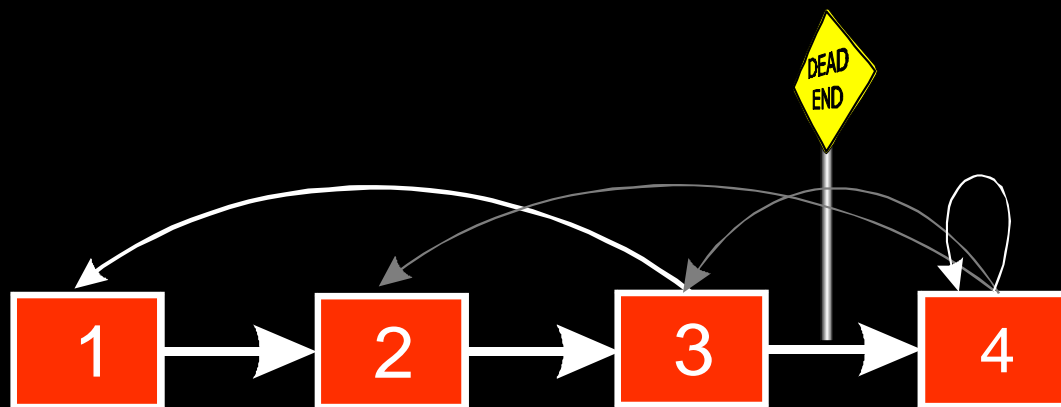
- Cost for transition  $i \rightarrow j$

- $$C_{i \rightarrow j} = \sum_{k=-N}^{N-1} w_k D_{i+k+1, j+k}$$



# Dead ends

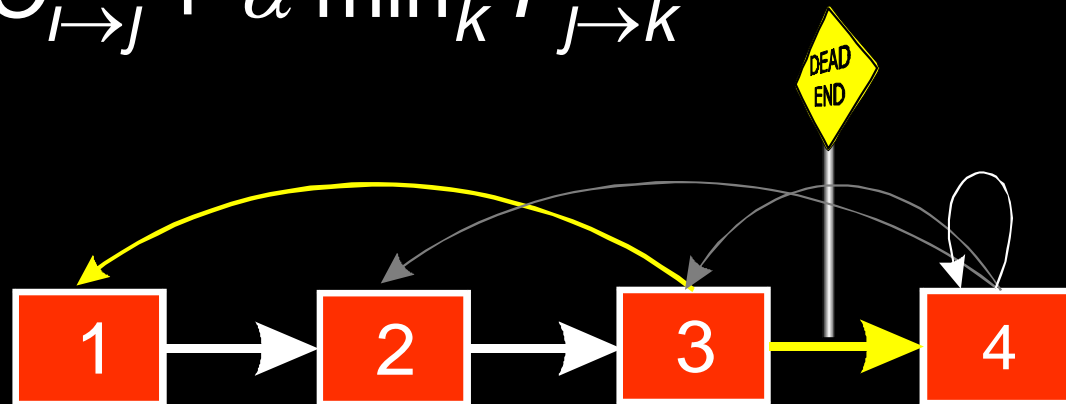
- No good transition at the end of sequence



# Future cost

- Propagate future transition costs backward
- Iteratively compute new cost

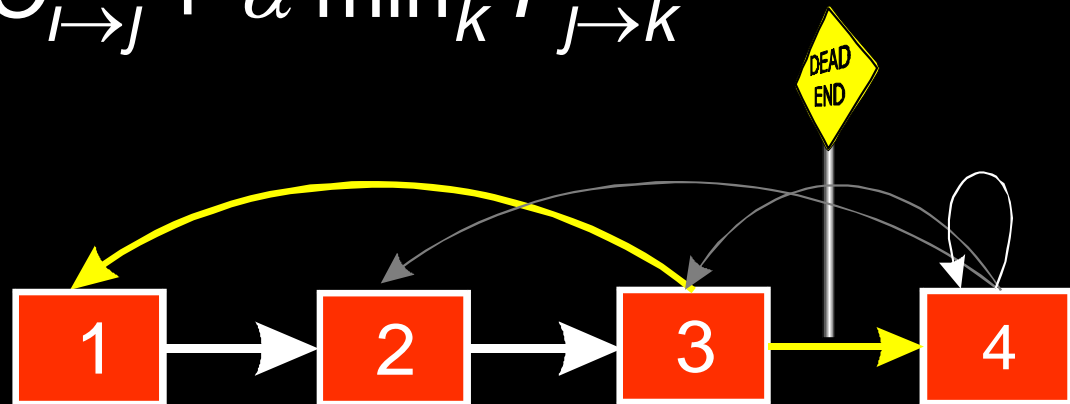
- $$F_{i \rightarrow j} = C_{i \rightarrow j} + \alpha \min_k F_{j \rightarrow k}$$



# Future cost

- Propagate future transition costs backward
- Iteratively compute new cost

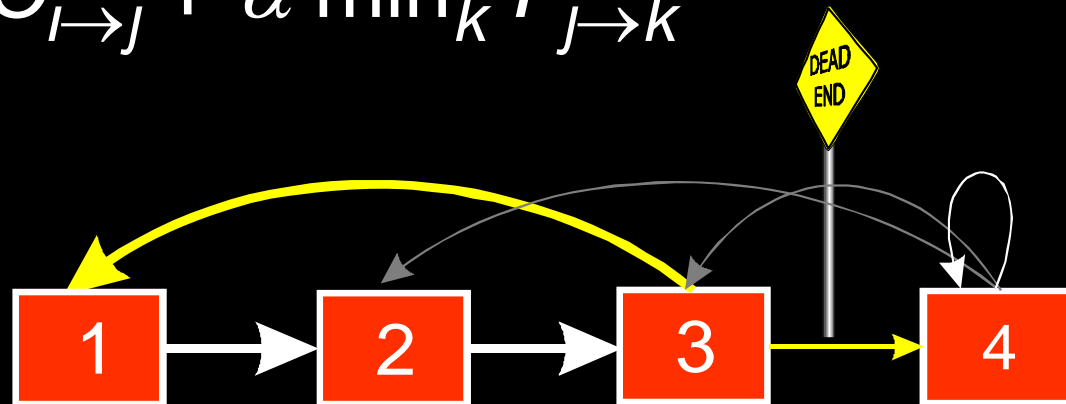
- $$F_{i \rightarrow j} = C_{i \rightarrow j} + \alpha \min_k F_{j \rightarrow k}$$



# Future cost

- Propagate future transition costs backward
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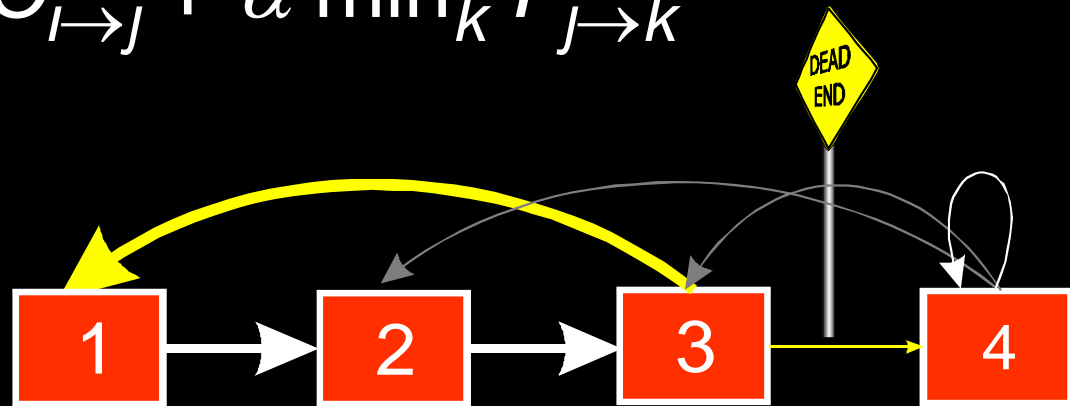
- $$F_{i \rightarrow j} = C_{i \rightarrow j} + \alpha \min_k F_{j \rightarrow k}$$



# Future cost

- Propagate future transition costs backward
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- $$F_{i \rightarrow j} = C_{i \rightarrow j} + \alpha \min_k F_{j \rightarrow k}$$



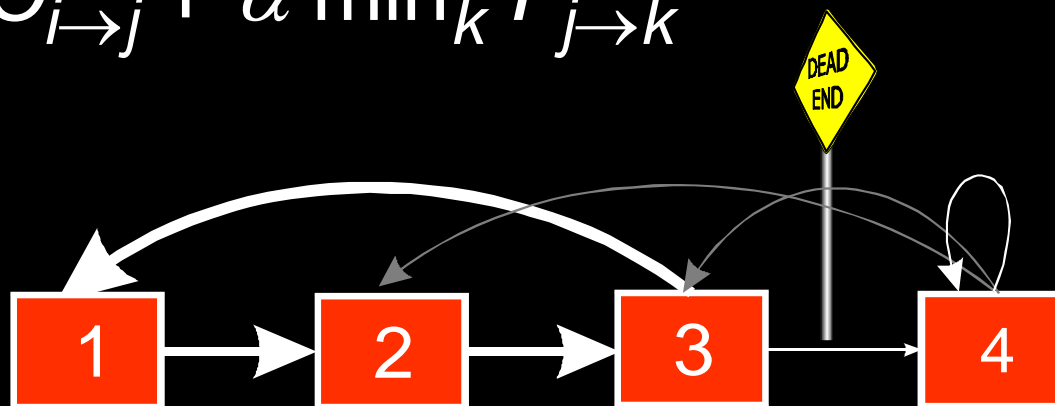


# Future cost

- Propagate future transition costs backward
- Iteratively compute new cost

- $$F_{i \rightarrow j} = C_{i \rightarrow j} + \alpha \min_k F_{j \rightarrow k}$$

- Q-learning



# Future cost – effect



# Finding good loops

- Alternative to random transitions
- Precompute set of loops up front



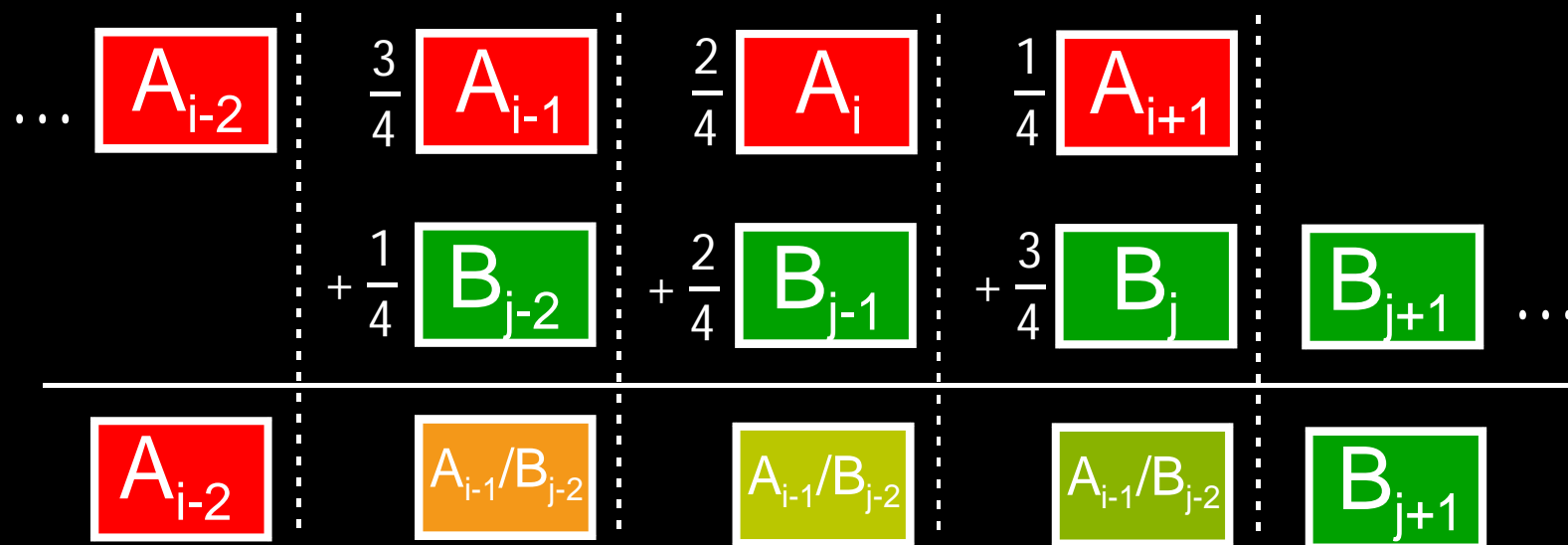
# Visual discontinuities

- Problem: Visible “Jumps”



# Crossfading

- Solution: Crossfade from one sequence to the other.



# Morphing

- Interpolation task:

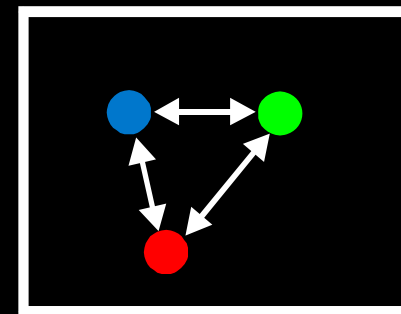
$$\frac{2}{5} \text{ [A] } + \frac{2}{5} \text{ [B] } + \frac{1}{5} \text{ [C] }$$

# Morphing

- Interpolation task:

$$\frac{2}{5} \boxed{\text{A}} + \frac{2}{5} \boxed{\text{B}} + \frac{1}{5} \boxed{\text{C}}$$

- Compute correspondence between pixels of all frames

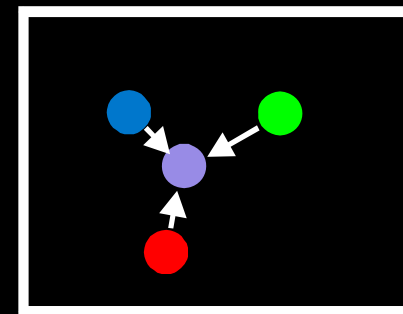


# Morphing

- Interpolation task:

$$\frac{2}{5} \boxed{\text{A}} + \frac{2}{5} \boxed{\text{B}} + \frac{1}{5} \boxed{\text{C}}$$

- Compute correspondence between pixels of all frames
- Interpolate pixel position and color in morphed frame
- based on [Shum 2000]





# Results – crossfading/morphing



# Results – crossfading/morphing



Jump Cut

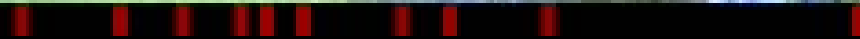
Crossfade

Morph

# Crossfading



# Frequent jump & crossfading



# Video portrait



- Useful for web pages

# Video portrait – 3D



- Combine with IBR techniques

# Region-based analysis

- Divide video up into regions



- Generate a video texture for each region

# Automatic region analysis





# User-controlled video textures



slow



variable



fast

User selects target frame range

# Video-based animation

- Like sprites  
computer games
- Extract sprites  
from real video
- Interactively control  
desired motion

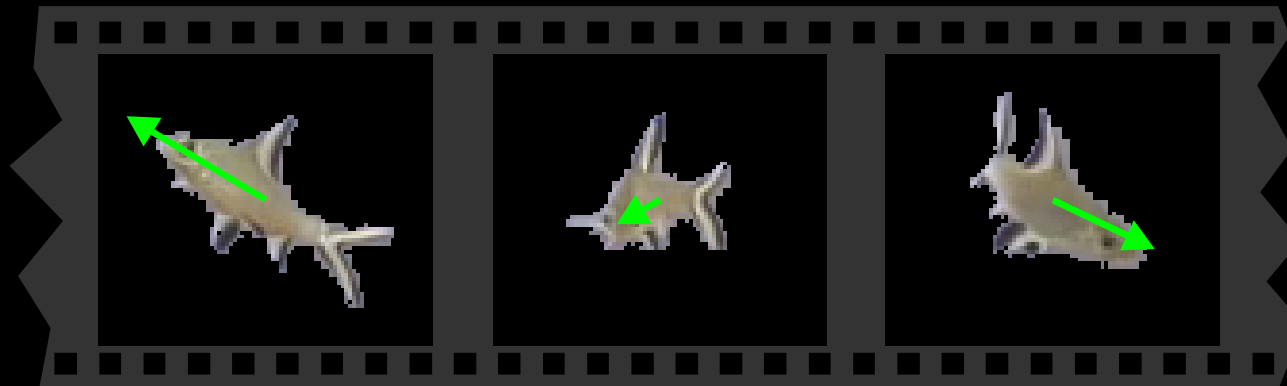


©1985 Nintendo of America Inc.

# Video sprite extraction

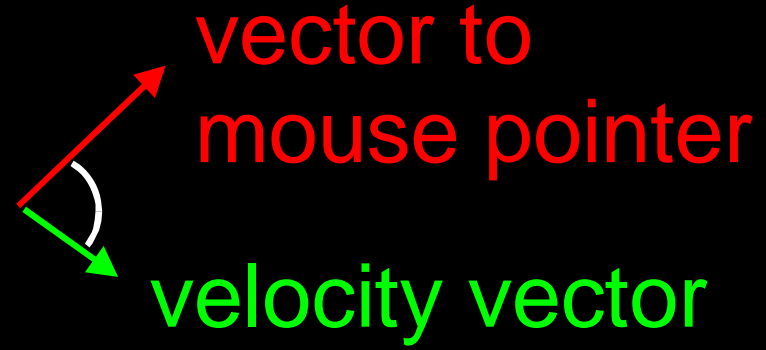


blue screen matting  
and velocity estimation



# Video sprite control

- Augmented transition cost:

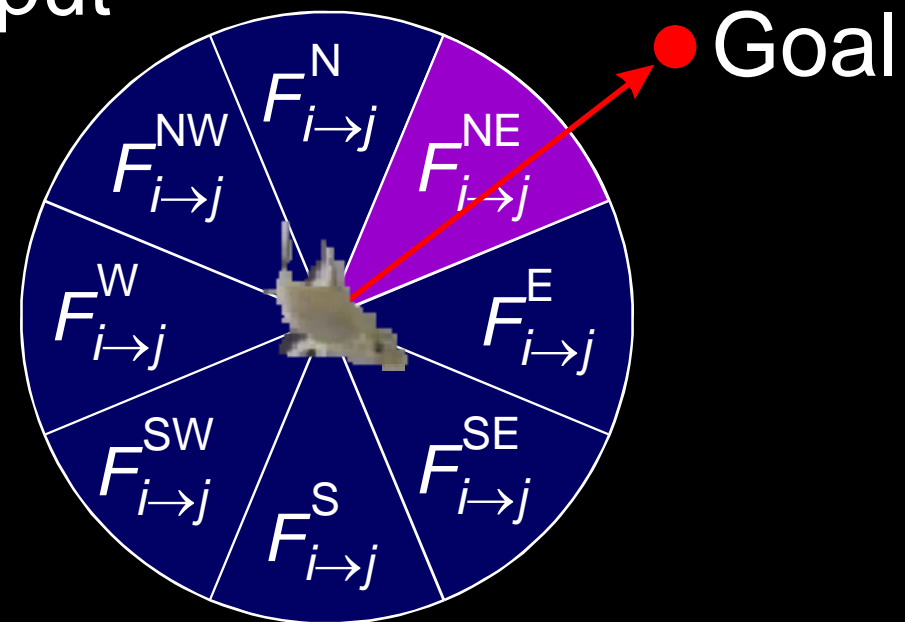
$$C_{i \rightarrow j}^{\text{Animation}} = \alpha \underbrace{C_{i \rightarrow j}}_{\text{Similarity term}} + \beta \underbrace{\text{angle}}_{\text{Control term}}$$


vector to mouse pointer

velocity vector

# Video sprite control

- Need future cost computation
- Precompute future costs for a few angles.
- Switch between precomputed angles according to user input
- [GIT-GVU-00-11]



# Interactive fish



# Summary

- Video clips → video textures
  - define Markov process
  - preserve dynamics
  - avoid dead-ends
  - disguise visual discontinuities



# Discussion

- Some things are relatively easy





# Discussion

- Some are hard



# A final example



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# Michel Gondry train video

<http://youtube.com/watch?v=qUEs1BwVXGA>